## Wathematics Extended Part (IM2)

Date: 14/11/2023
F.5-M2 (5C Joe Chen \& 5C Thomas Cheung)

| $\mathrm{T}+\mathrm{J}$ | Good morning principal teachers and fellow schoolmates. We are students <br> from 5C. |
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| T | I am Thomas. |
| J | I am Joe. The topic we want to share with you today is the Binomial <br> Theorem. Hey Thomas, have you ever heard of this theorem before? |
| T | Of course, we usually use Binomial Theorem in M2. The theorem is a <br> formula for the exponentiation of a binomial, which allows us to quickly <br> expand any binomial to any power. |
| J | Right. For example, if we want to calculate $(\mathrm{x}+\mathrm{y})^{\wedge} 3$, we can use the <br> Binomial Theorem to get the answer without multiplying (x+y) step by step. <br> In the expression, we have to use the combination number nCr, which <br> represents the number of ways to choose R items from N items. This is also <br> called the binomial coefficient because it is the coefficient of each term <br> after the binomial expansion. |
| T | Besides, we can also use Pascal's Triangle to find these coefficients. Pascal's <br> Triangle is a triangle composed of natural numbers, and each number in <br> each row is the sum of the two adjacent numbers in the previous row. Each <br> row of Pascal's Triangle corresponds to a binomial coefficient of a power, <br> such as the fourth row is the coefficient of $(\mathrm{x}+\mathrm{y})^{\wedge} 3$, which is 133 1. |
| J | So, what is the use of the Binomial Theorem? Can it help us simplify some <br> complex algebraic operations? |
| T | Sure, it also helps us when we are doing polynomial multiplication, <br> division, and differentiation. It can also help us find some special values, <br> such as the Fibonacci sequence and the binomial distribution. |


| J | I see. Indeed, the Binomial Theorem is also related to other mathematical <br> branches such as geometry, combination, and probability. It is a very <br> important and interesting theorem. |
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| T | As M2 students for 2 years, we are now experts of applying Binomial <br> Theorem. So, my dearest schoolmates, if you have any questions about this <br> theorem, please feel free to approach us during recess or lunchtime. |
| $\mathrm{T}+\mathrm{J}$ | This is the end of our sharing thank you. |

